

# Citizen science and estimation of species abundances in a habitat-structured space

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## Aim

- Joint work with Clément Calenge (ONCFS), Christophe Giraud (U. of Orsay) and Romain Julliard (MNHN).
- Estimate relative species abundances in habitat-structured spaces.
- Estimate species and observers preferences for different habitats.

## Data

Observations of common birds in Aquitaine (23 species), 2 databases:

- STOC: "standardized" data, 48 sites visited, precise instructions.
- LPO: "non-standardized" data, 440496 observations in 2086 municipalities.

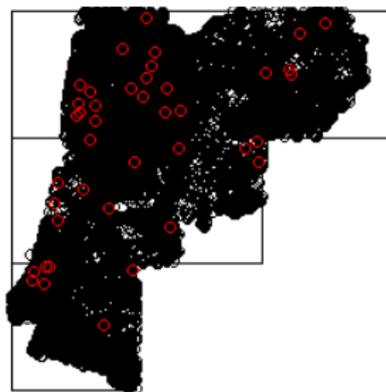


Figure: In black: positions of the non-standardized data, in red: positions of the standardized data.

## Model: distribution of birds

- Space is divided into large squares indexed by  $j \in \llbracket 1, J \rrbracket$ .
- We consider several species indexed by  $i \in \llbracket 1, I \rrbracket$ :  $A_{ij}$  is the abundance of species  $i$  in square  $j$ .
  
- Space is divided into several habitats, indexed by  $h \in \llbracket 1, H \rrbracket$ .
- $V_{hj}$  is the area (volume) of square  $j$  occupied by habitat  $h$ .
- Probability that an individual of species  $i$  in square  $j$  is in habitat  $h$ :

$$\frac{S_{ih}V_{hj}}{\sum_{h'} S_{ih'}V_{h'j}}.$$

## Model: distribution of observers

- 2 datasets indexed by  $k \in \{1, 2\}$ .
- Sites (1st dataset) and municipalities (2nd dataset) are indexed by  $c \in \{1, C\}$ .
- An observer in the cell  $c$  is in habitat  $h$  with probability:

$$\frac{q_{hk}}{\sum_{h' \in c} q_{h'k}}.$$

- An individual of species  $i$  is observable in habitat  $h$  with probability:

$$\alpha_h P_{ik}.$$

- An individual of species  $i$  is reported with probability:

$$R_{ik}.$$

We observe:

$$X_{iv} \sim \text{Bernoulli}(p_{iv}),$$

with

$$p_{iv} = R_{ik} \left( 1 - (1 - \alpha_{H_v} P_{ik})^{A_{iv}} \right),$$

where

$$A_{iv} \sim \mathcal{B} \left( A_{ij}, \frac{S_{iH_v} V_{H_v c}}{\sum_{h'} S_{ih'} V_{h'j}} \right)$$

and

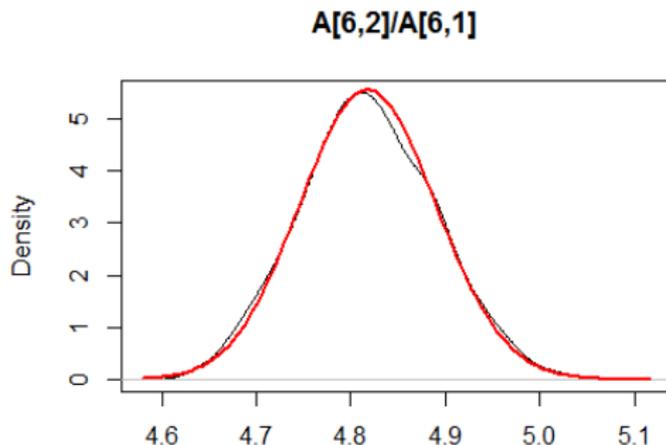
$$\mathbb{P}(H_v = h) = \frac{q_{hk}}{\sum_{h' \in c} q_{h'k}}.$$

Finally we observe:

$$X_{ick} \sim \mathcal{P} \left( A_{ij} E_{kc} P_{ik} \sum_{h \in c} \frac{q_{hk}}{\sum_{h' \in c} q_{h'k}} \frac{\alpha_h S_{ih} V_{hc}}{\sum_{h'} S_{ih'} V_{h'j}} \right).$$

## JAGS: test with generated data

Real value:  $A_{62}/A_{61} = 4.8$

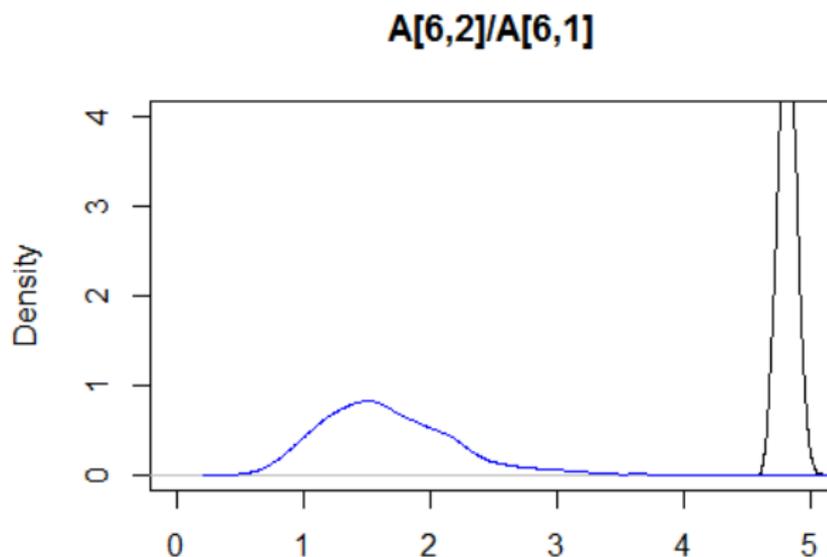


**Figure:** In red: Expected density. In black: estimated density.

*mean* = 4.818536, *sd* = 0.07182255.

## Impact of habitat structure

Real value:  $A_{62}/A_{61} = 4.8$ .



**Figure:** Estimation of the relative abundance  $A_{62}/A_{61}$ . In black: with habitat structure. In blue: without habitat structure.

## JAGS: real data

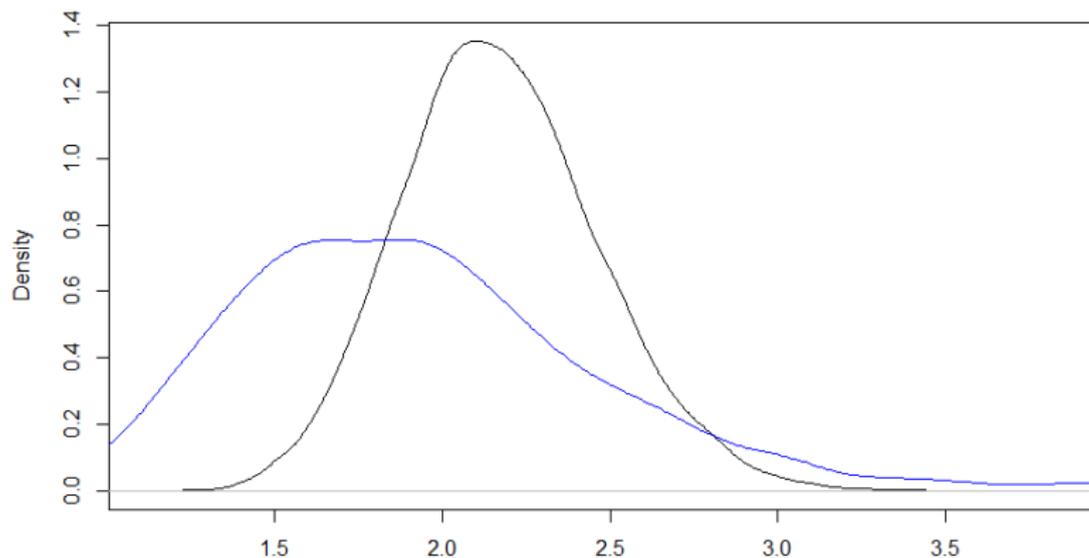


Figure: Estimation of the relative abundance  $A_{62}/A_{61}$ . In black: with habitat structure. In blue: without habitat structure.

"Real" value:  $A_{62}/A_{61} = 2.783838$ .

# Outlook

- Quantify the advantages of spatial structure integration.
- Consider more types of habitats.
- Distinguish two types of non-standardized data: form data and opportunistic data.