

# Application of Lattice Boltzmann Method in automotive industry with focus on aeroacoustic simulations

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**with contributions of :**

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**Simon Marié, Renault & Paris 6**

**Pierre Sagaut, Paris 6**

# Outline

- **Some aeroacoustic problems in automotive industry**
- **LB schemes for computational aeroacoustics**
- **Example of aeroacoustic simulations with EXA/PowerFLOW**
- **Aerodynamic drag simulations**

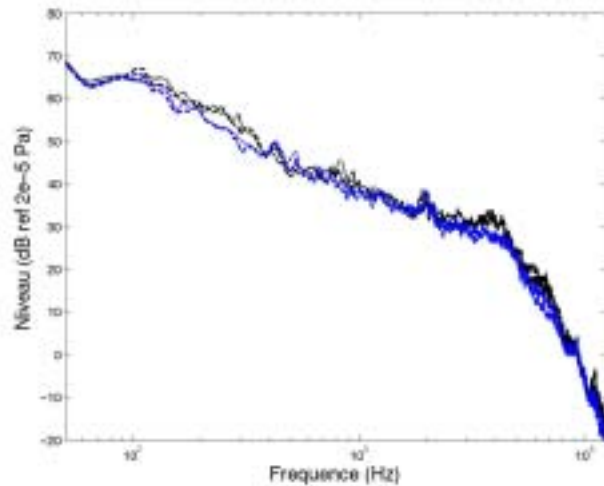


# Aeroacoustic problems

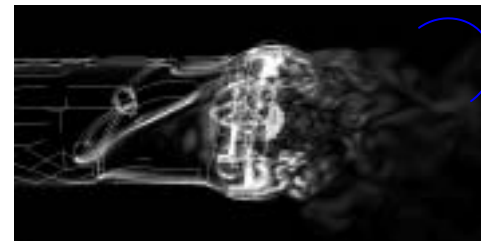
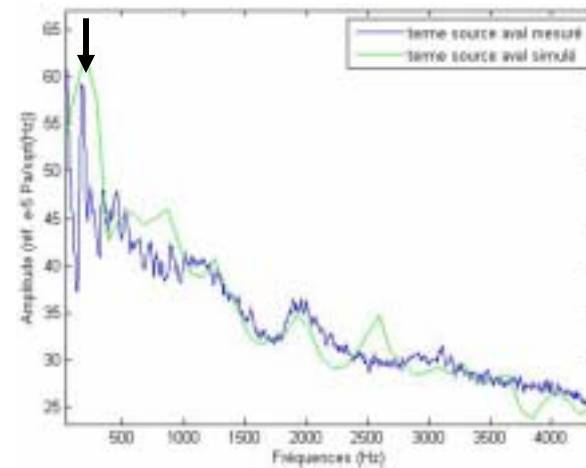
- Interior noise aeroacoustics

- Broadband noise with, sometimes, unwanted frequency peaks
- Relevant frequency range : all the audible spectrum (20 Hz → 10 kHz)

Example of interior aeroacoustic noise spectra



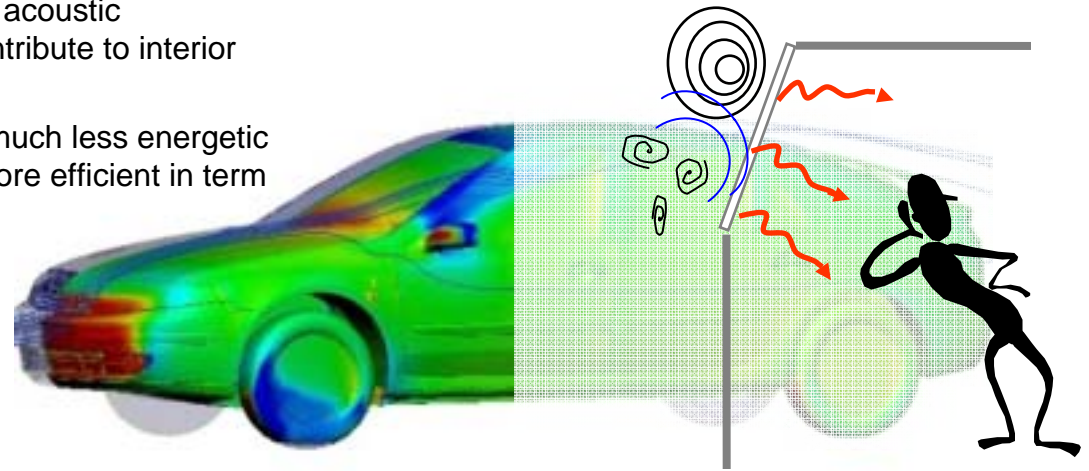
Noise generated by HVAC outlet vent



# Automotive aeroacoustics

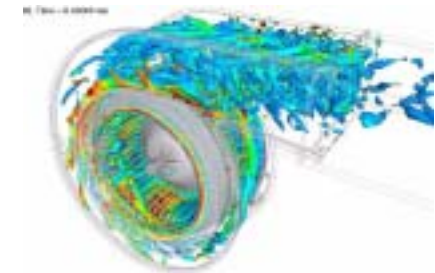
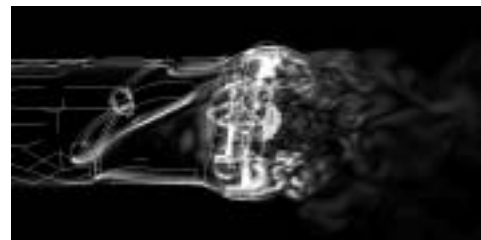
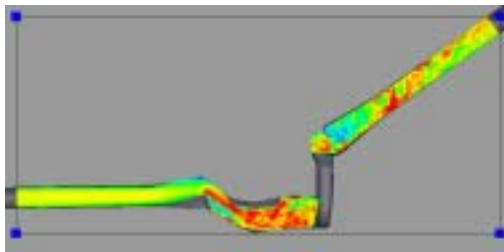
## ■ “External” aeroacoustics

- Both aerodynamic (incompressible) and acoustic (compressible) pressure fluctuations contribute to interior wind noise
- Acoustic wall pressure fluctuations are much less energetic than aerodynamic pressure but much more efficient in term of panel excitation



## ■ “Internal” aeroacoustics

- Source and propagation in ducts (HVAC, inlet and exhaust engine ducts)
- Fan noise, aerodynamic noise generated by flow through ventilation outlets



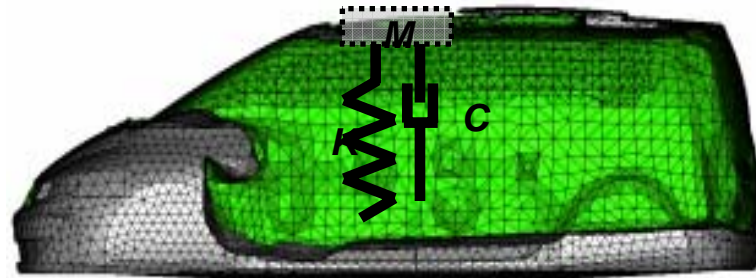
# Automotive aeroacoustics : cavity noise

## Sunroof buffeting

- Strong acoustic/aerodynamic coupling between vortex shedding in the opening and acoustic resonance of the passenger compartment



+



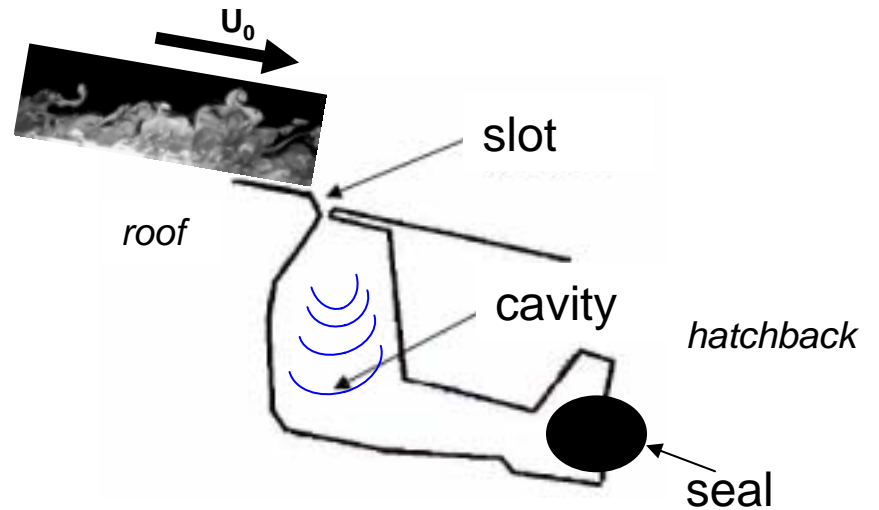
Helmholtz  
cavity  
resonance

## Door gap noise

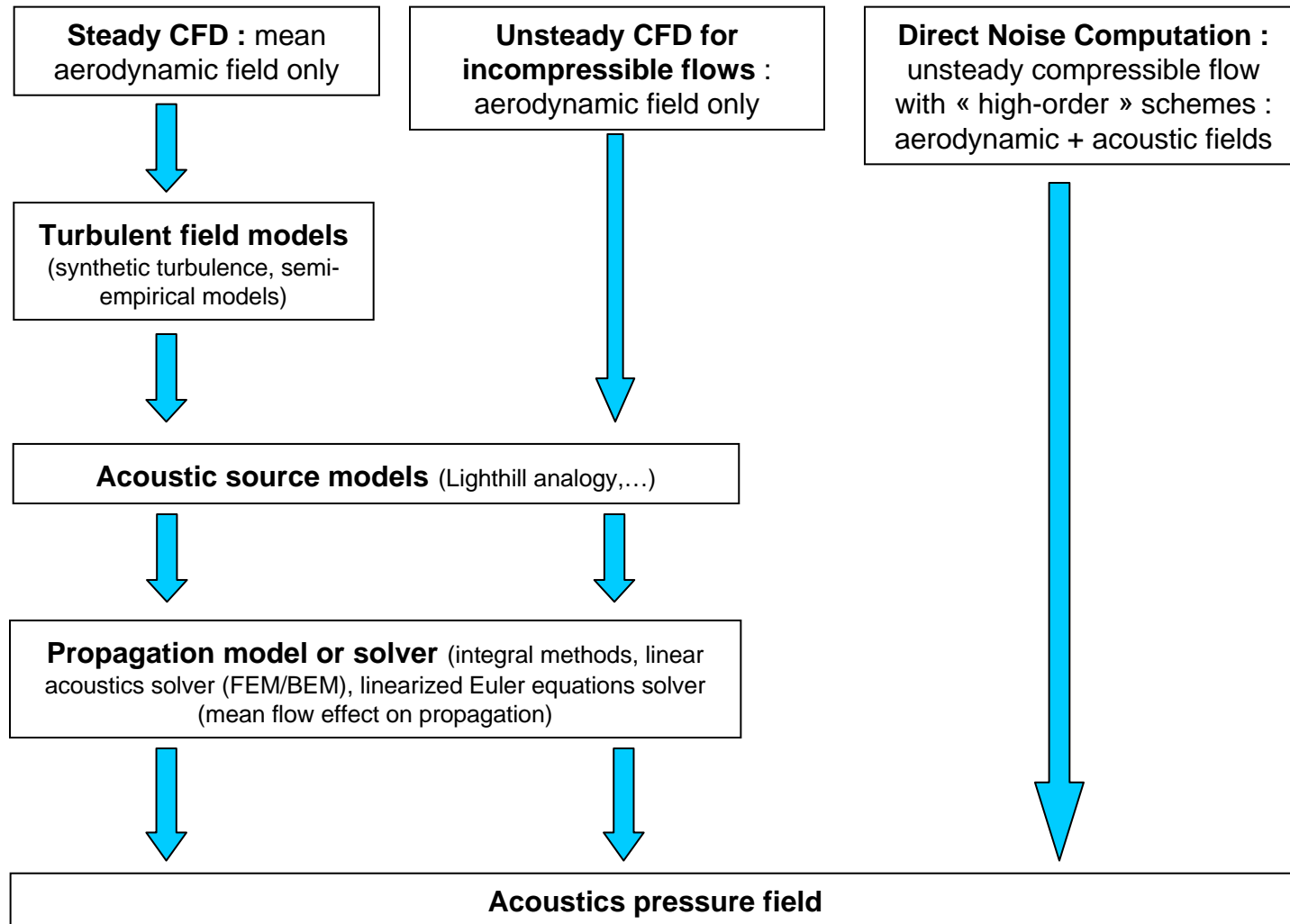
- Door gap : small slots between car body and doors
- Weak coupling between the broadband external turbulent excitation and the cavity resonance



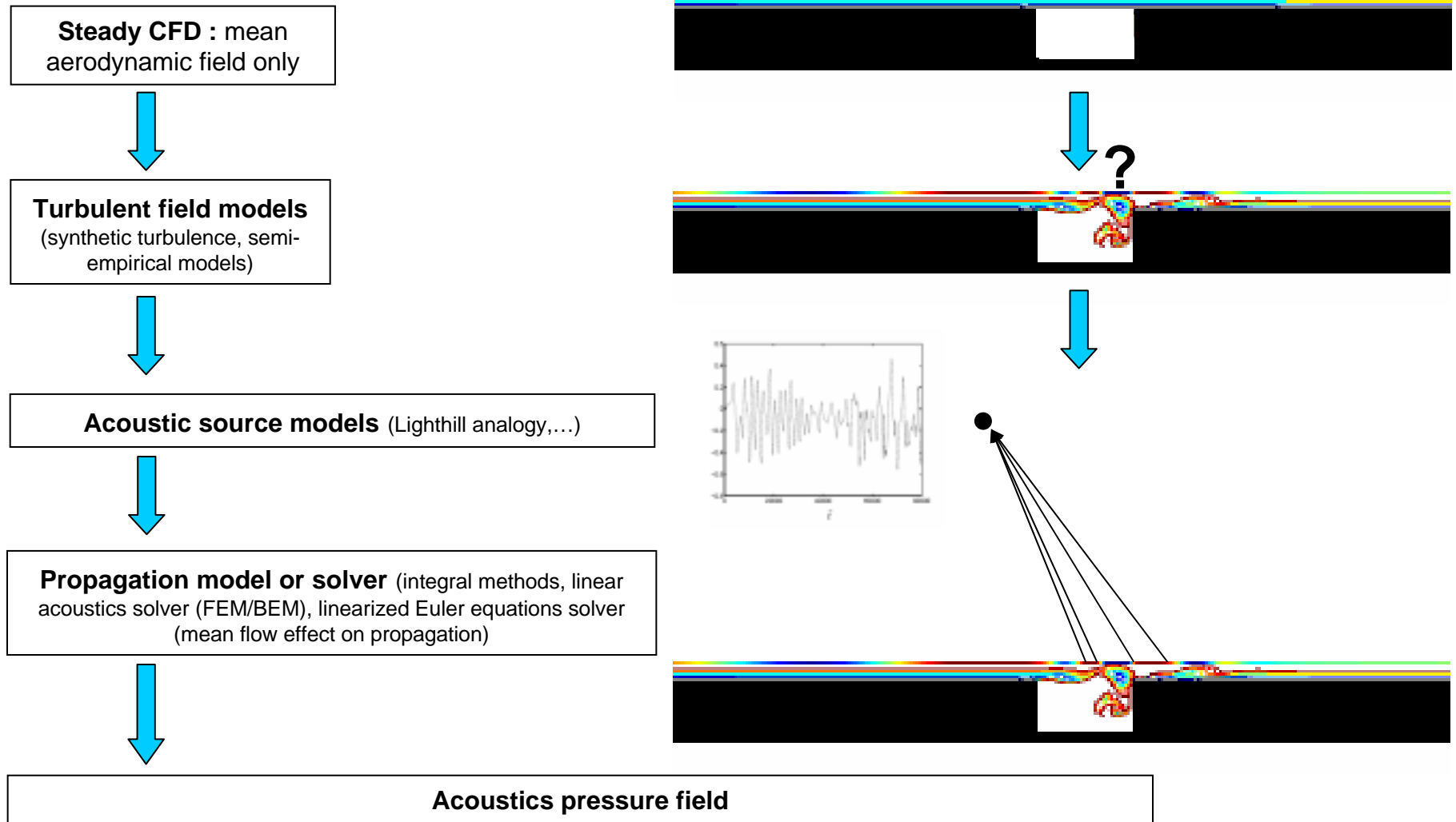
Example : cavity between the hatchback and the roof



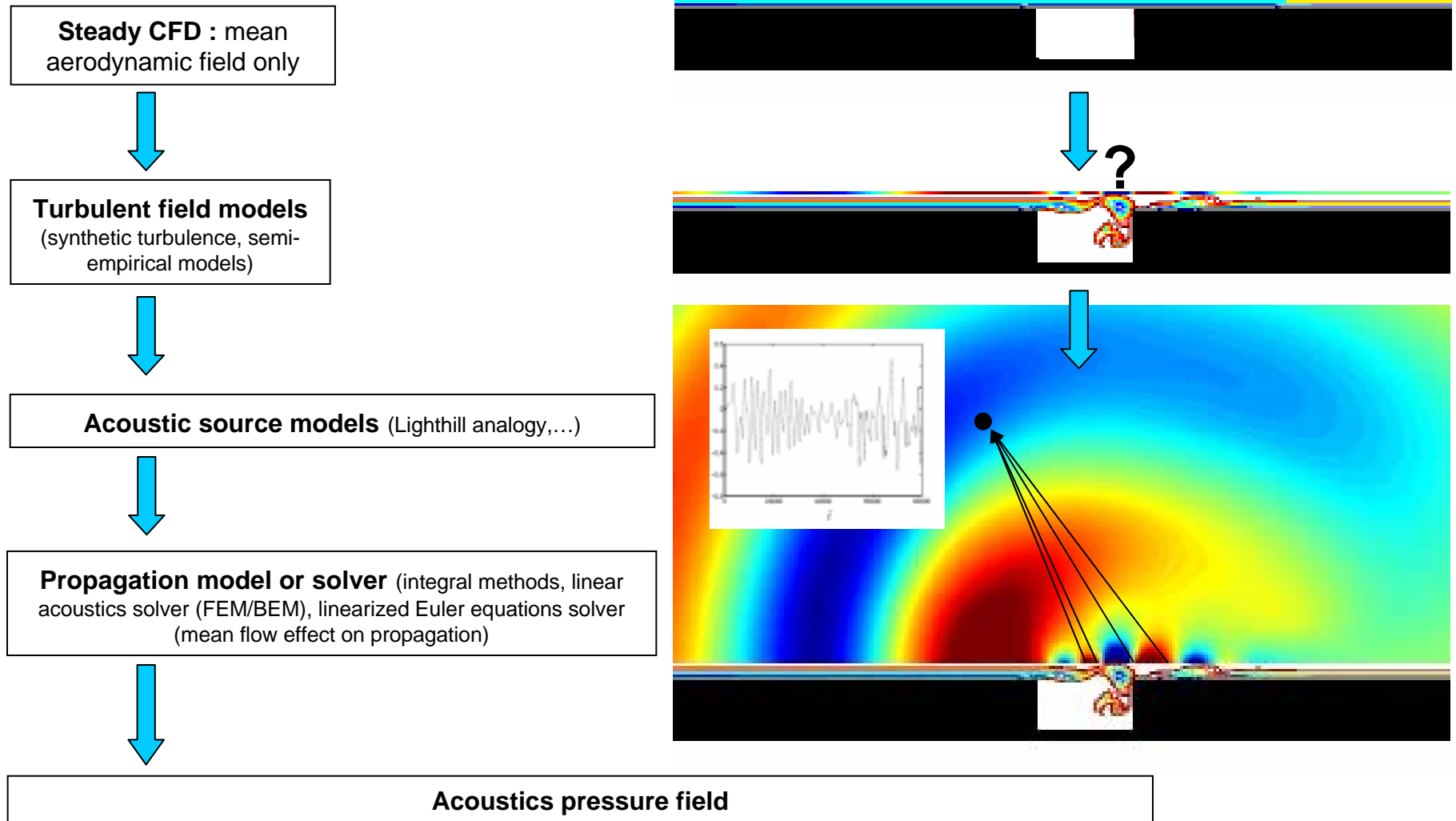
# Computational AeroAcoustics : hybrid and direct approaches



# Computational AeroAcoustics : hybrid and direct approaches

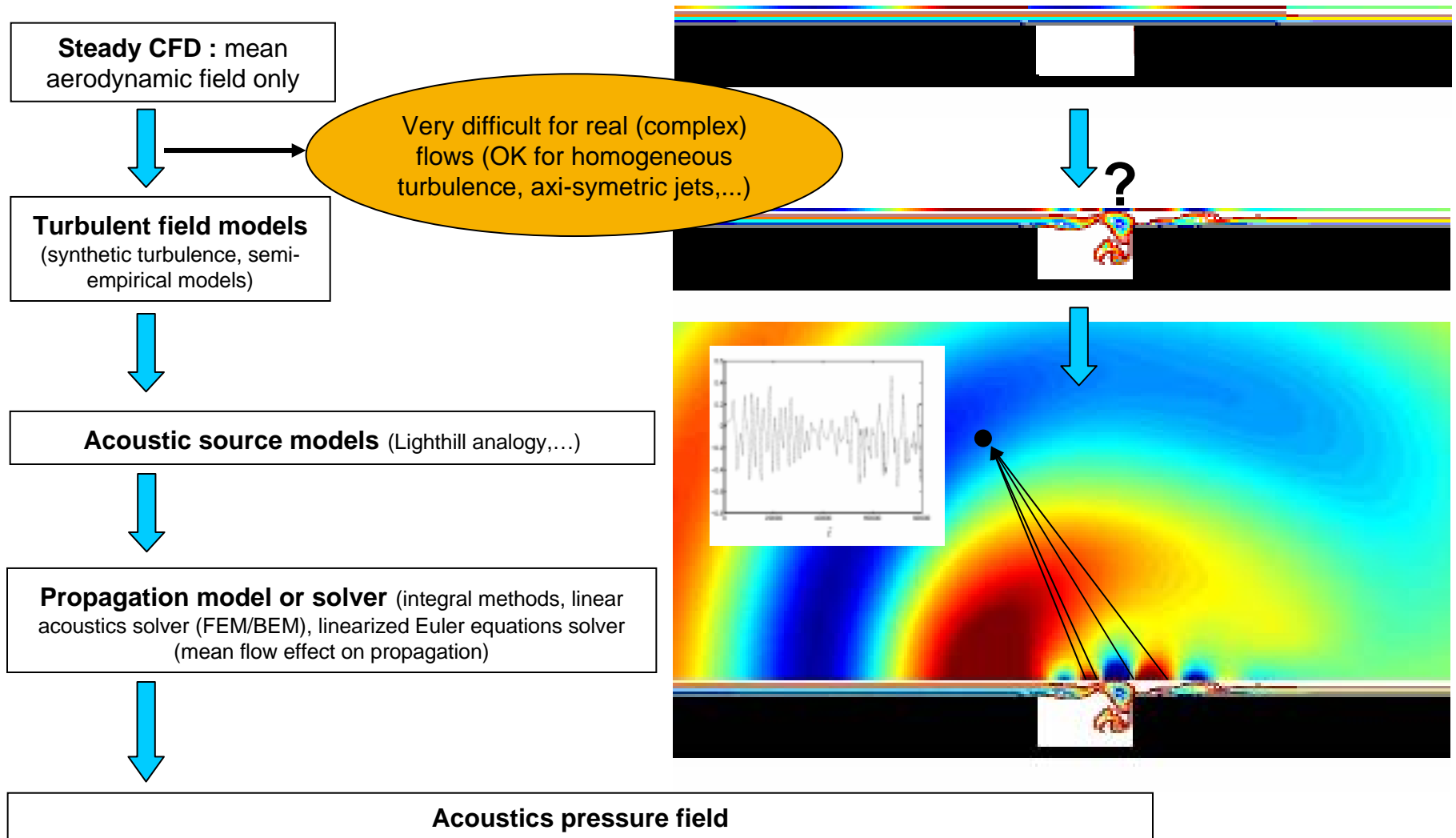


# Computational AeroAcoustics : hybrid and direct approaches

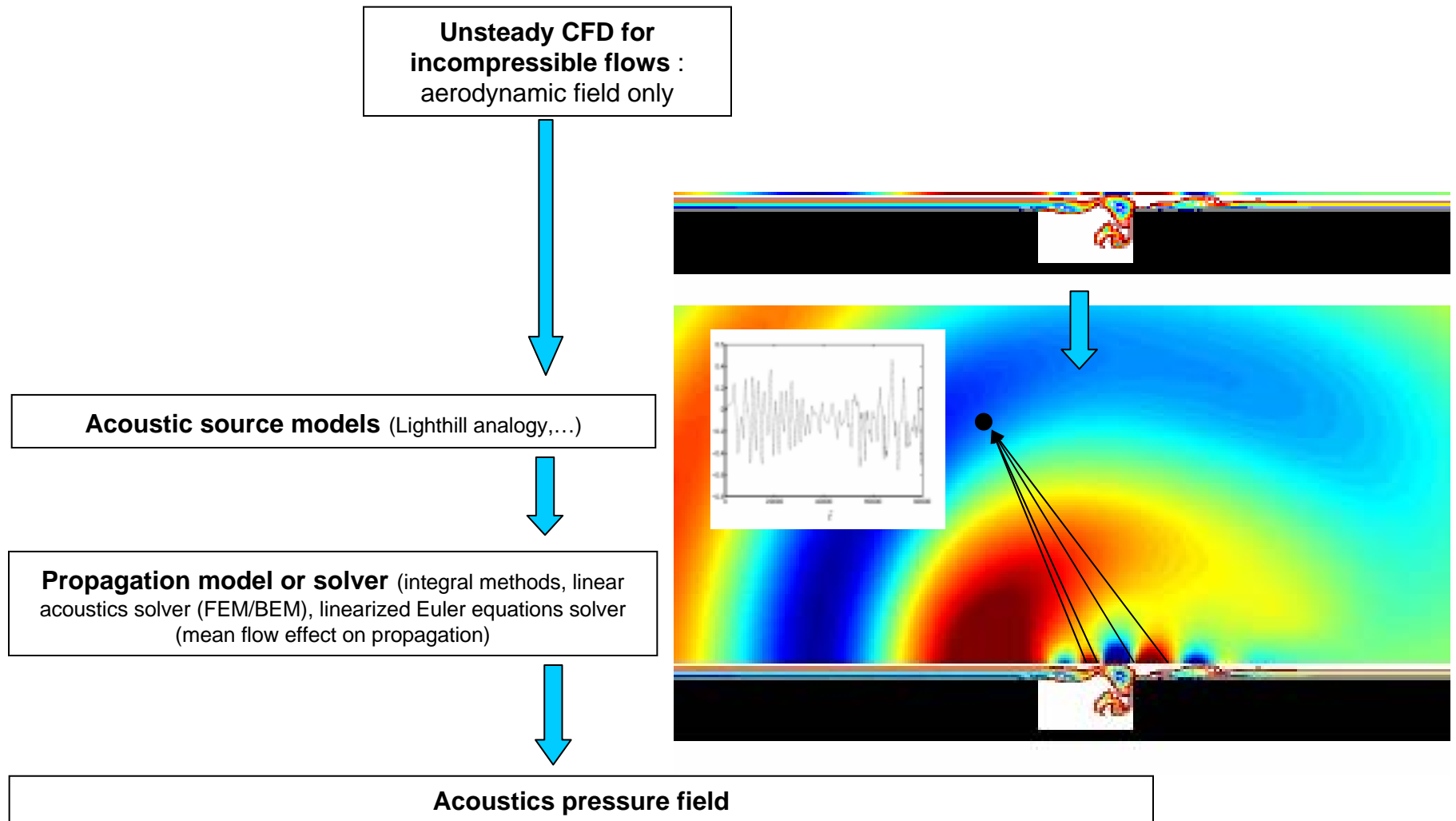




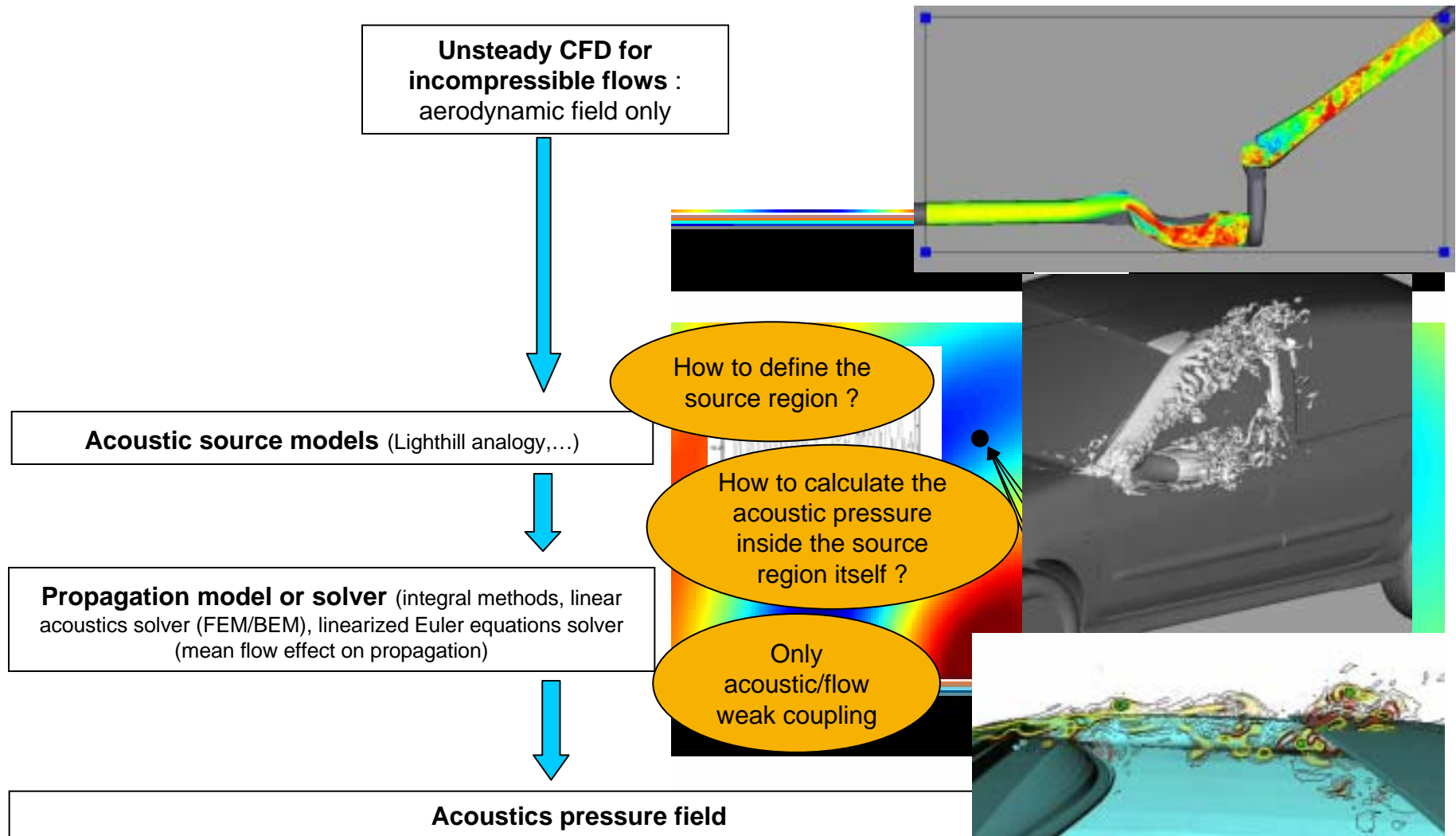
# Computational AeroAcoustics : hybrid and direct approaches



# Computational AeroAcoustics : hybrid and direct approaches

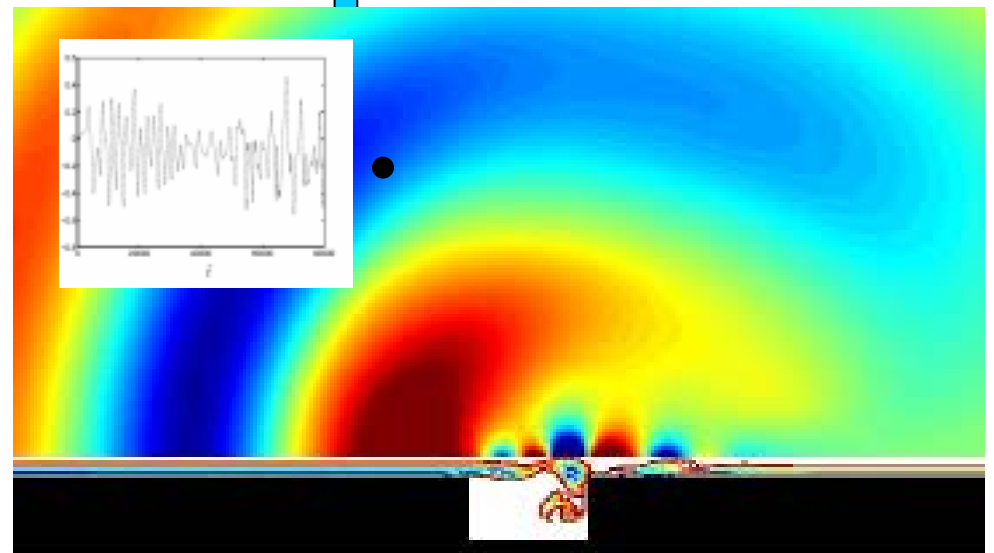


# Computational AeroAcoustics : hybrid and direct approaches



# Computational AeroAcoustics : hybrid and direct approaches

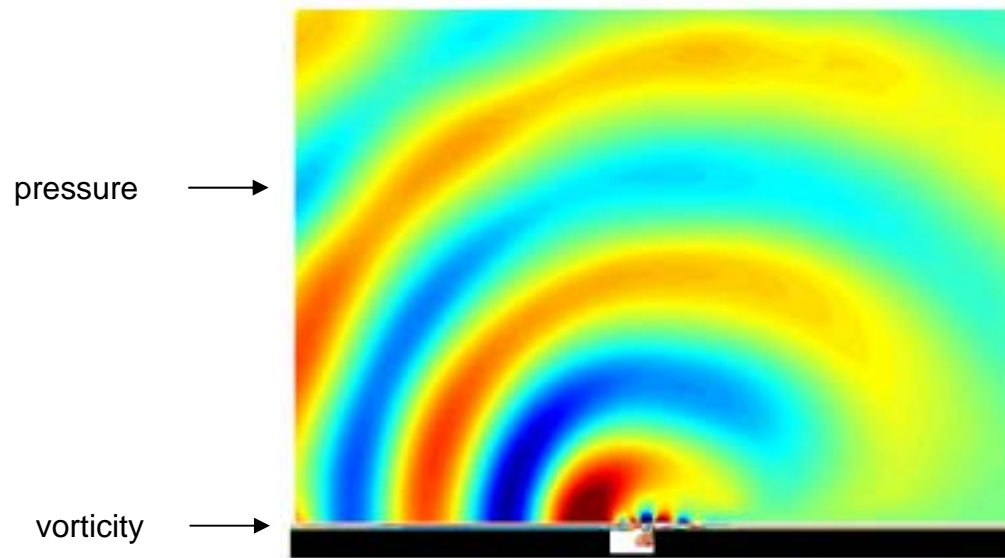
**Direct Noise Computation :**  
unsteady compressible flow  
with « high-order » schemes :  
aerodynamic + acoustic fields



**Acoustics pressure field**

# Example of direct noise calculation with LBM

- In-house D2Q9 model (BGK)
- Non-reflecting boundary conditions
- Selective viscosity filter for stability control



*Ricot D., Maillard V., Bailly C.,  
AIAA paper 2002-2532*

$$Mach = 0.25$$

$$Re_L = 8 \cdot 10^3$$

$$St = fL/U_0 = 0.89$$

(Rossiter mode 2)

In agreement with other CAA  
simulations performed with optimized  
finite difference Navier-Stokes codes  
(Gloerfelt, 2001, Rowley, 2002)

## Other examples :

- A. Lafitte, F. Perot, Investigation of the Noise Generated by Cylinder Flows Using a Direct Lattice-Boltzmann Approach, 15th AIAA/CEAS Aeroacoustics Conference (30th AIAA Aeroacoustics Conference), 11 - 13 May 2009, Miami, Florida, AIAA 2009-3268
- Wilde, A., Application of the Lattice-Boltzmann method in flow acoustics. In 4th SWING Aeroacoustic Workshop, Aachen (2004)

# von Neumann analysis

Linearization of the equilibrium function around a uniform mean flow :

$$f_{\alpha}^{eq} \left( f_{\alpha}^{(0)} + f_{\alpha}' \right) \quad f_{\alpha}^{eq} = \rho \omega_{\alpha} \left( 1 + 3\mathbf{u} \cdot \mathbf{c}_{\alpha} + \frac{9(\mathbf{u} \cdot \mathbf{c}_{\alpha})^2}{2} - \frac{3|\mathbf{u}|^2}{2} \right)$$

Search for the plane wave solutions of the linearized equation :  $f_{\alpha}' = \hat{A}_{\alpha} \exp[i(\mathbf{k} \cdot \mathbf{x} - \omega t)]$

Eigenvalue/eigenvector problem :

DVBE – BGK :  $\frac{\partial f_{\alpha}}{\partial t} + c_{\alpha,i} \frac{\partial f_{\alpha}}{\partial x_i} = -\frac{1}{\tau} [f_{\alpha} - f_{\alpha}^{eq}]$   $\longrightarrow i\omega \mathbf{f}' = \mathbf{M}^{\text{DVBE}} \mathbf{f}'$

LBM – BGK :  $g_{\alpha}(x+c, t+1) = g_{\alpha}(x, t) - \frac{1}{\tau_g} (g_{\alpha}(x, t) - g_{\alpha}^{eq}(x, t))$   $\longrightarrow e^{-i\omega} \mathbf{g}' = \mathbf{M}^{\text{BGK}} \mathbf{g}'$

LBM – MRT :  $\mathbf{g}(x+c, t+1) = \mathbf{g}(x, t) - P^{-1} S [\mathbf{m}(x, t) - \mathbf{m}^{eq}(x, t)]$   $\longrightarrow e^{-i\omega} \mathbf{g}' = \mathbf{M}^{\text{MRT}} \mathbf{g}'$

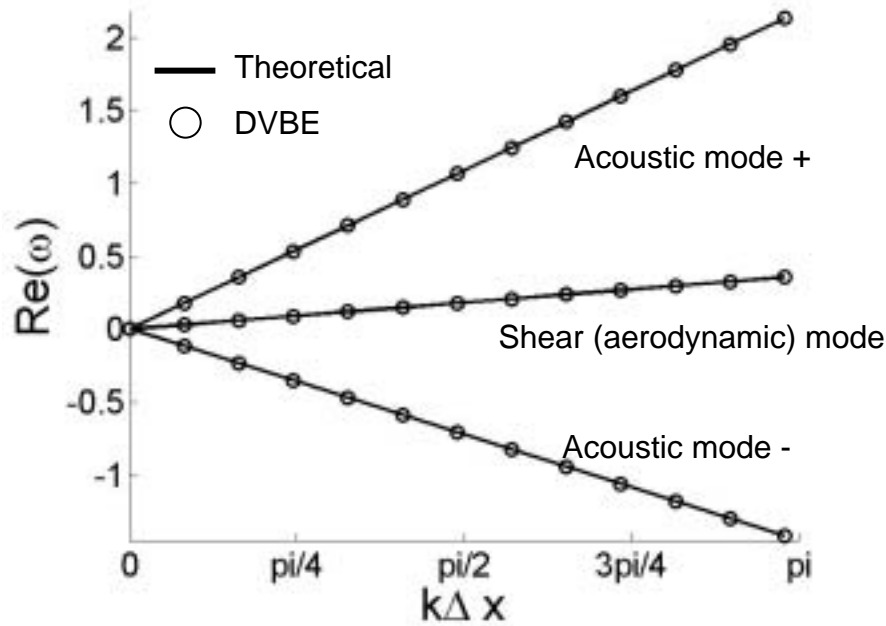
Velocity model : D3Q19



# Discrete Velocity Boltzmann Equation

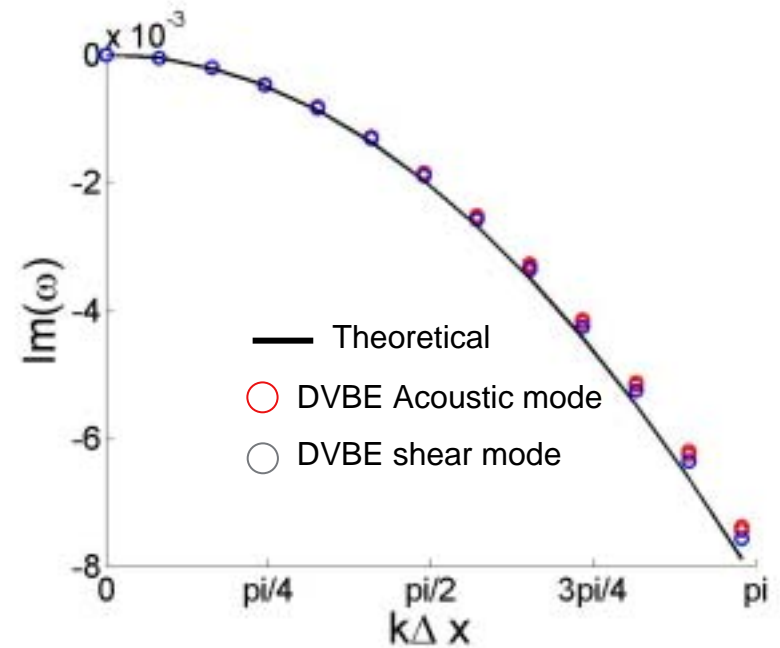
Ma = 0.2

## Dispersion



DVBE : strictly exact in term of dispersion

## Dissipation

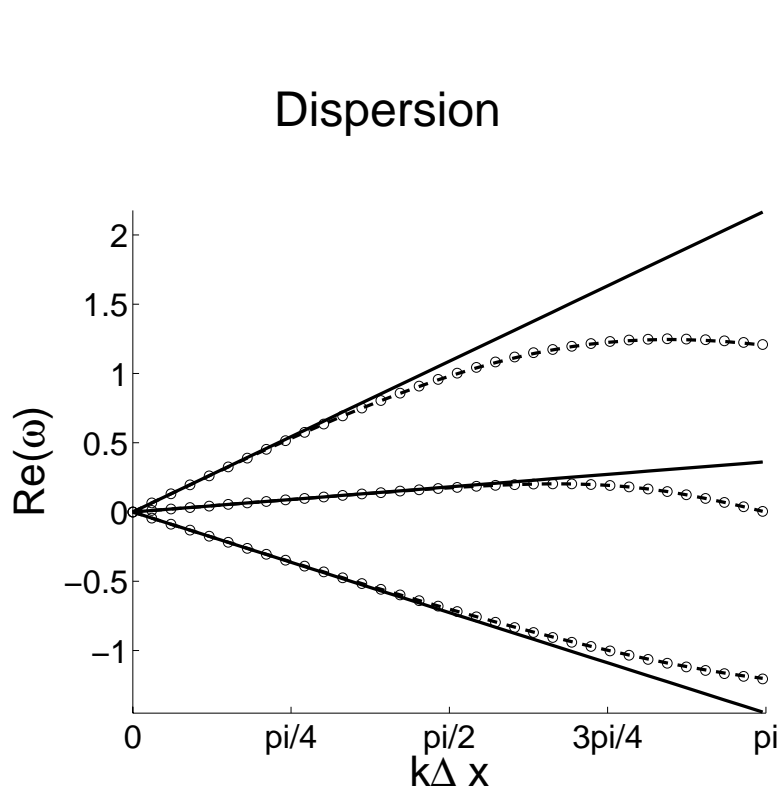


DVBE : small error in the dissipation due to the  $M^3$  error term

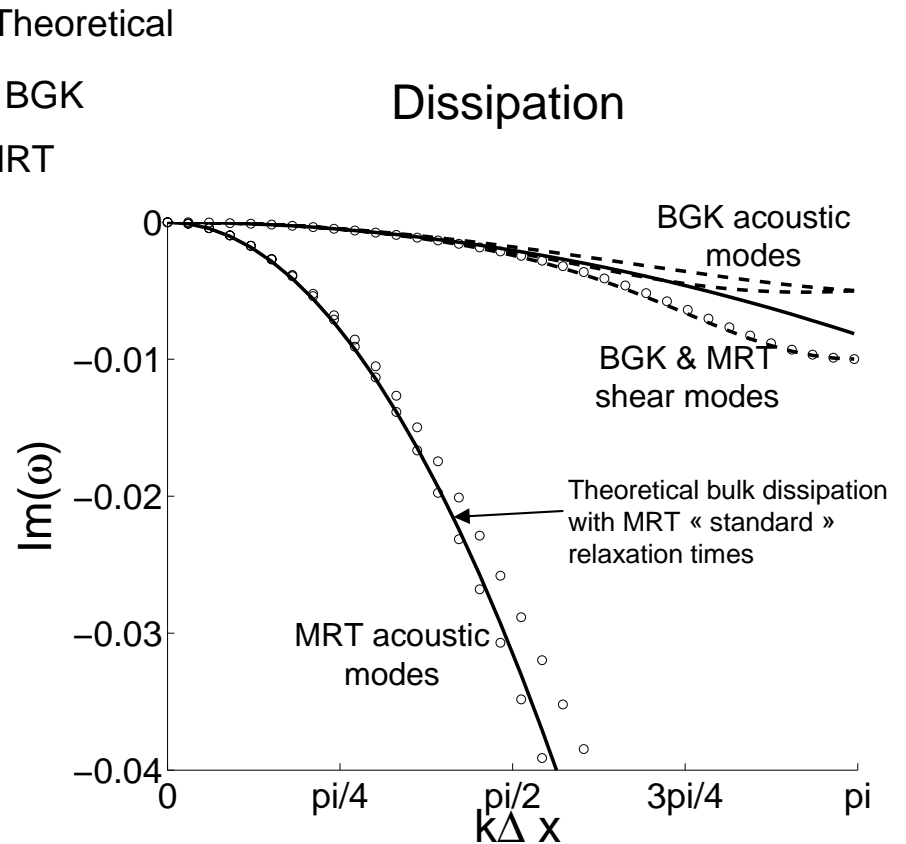
$$\tau_{ij} = \mu \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right) - \tau \frac{\partial \rho u_i u_j u_k}{\partial x_k}$$



# LBM-BGK and LBM-MRT



BGK & MRT : same dispersion error



Overdamping of acoustic modes compared to the «physical» dissipation (bulk dissipation ~ shear dissipation)





# Von Neumann analysis applied to Navier-Stokes schemes

Linearized Navier-Stokes equations :

$$\frac{\partial \mathbf{U}'}{\partial t} + \frac{\partial}{\partial x_1} [\mathbf{E}'_e - \mathbf{E}'_v] + \frac{\partial}{\partial x_2} [\mathbf{F}'_e - \mathbf{F}'_v] + \frac{\partial}{\partial x_3} [\mathbf{G}'_e - \mathbf{G}'_v] = 0 \quad \mathbf{U}' = \begin{pmatrix} \hat{p}' \\ \rho_0 \hat{u}' \\ \rho_0 \hat{v}' \\ \rho_0 \hat{w}' \\ \hat{p}' \end{pmatrix} \exp[i(\mathbf{k} \cdot \mathbf{x} - \omega t)]$$

Euler terms
viscous terms

Finite difference schemes :

$$\frac{\partial \mathbf{U}}{\partial x_i}(x_i^0) = D_i(x_i^0) = \frac{1}{\Delta x_i} \sum_{j=-N}^N a_j \mathbf{U}(x_i^0 + j \Delta x_i)$$

Runge-Kutta time marching schemes:

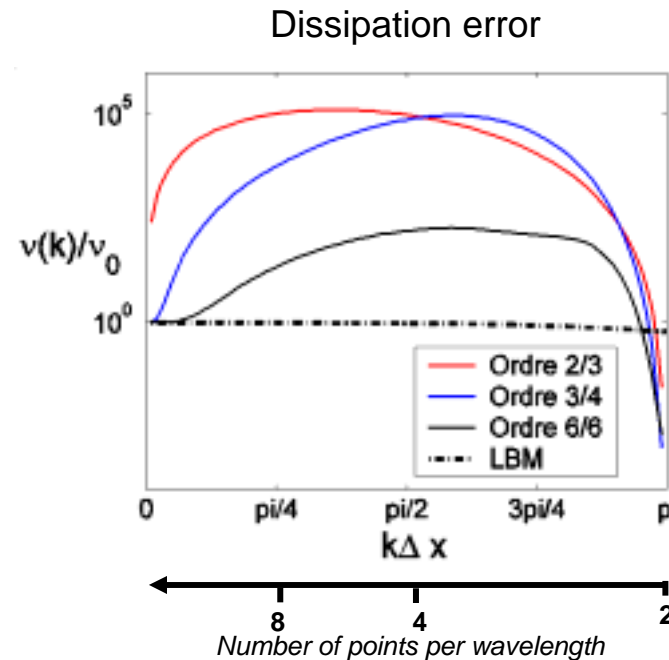
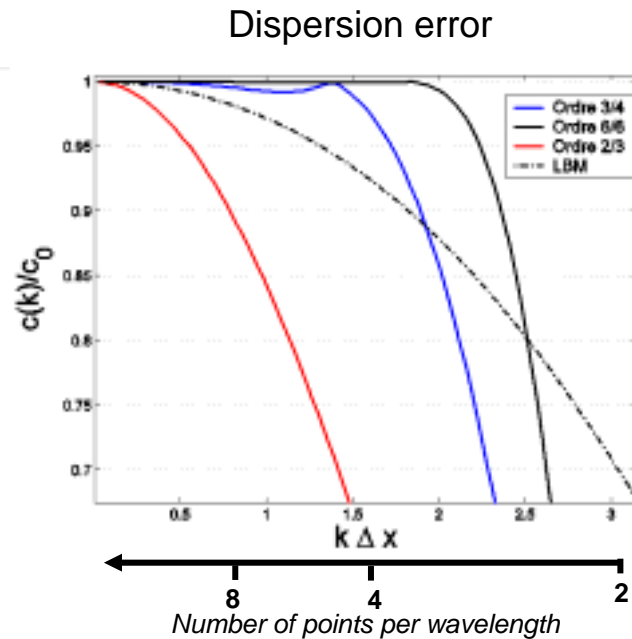
$$\mathbf{U}^{n+1} = \mathbf{U}^n + \sum_{j=1}^p \gamma_j \Delta t^j F^j(\mathbf{U}^n)$$

Eigenvalue/eigenvector problem:

$$e^{-i\omega} \mathbf{U}^n = \mathbf{M}_d^{\text{NS}} \mathbf{U}^n$$



# Comparison LBM vs finite difference Navier-Stokes schemes



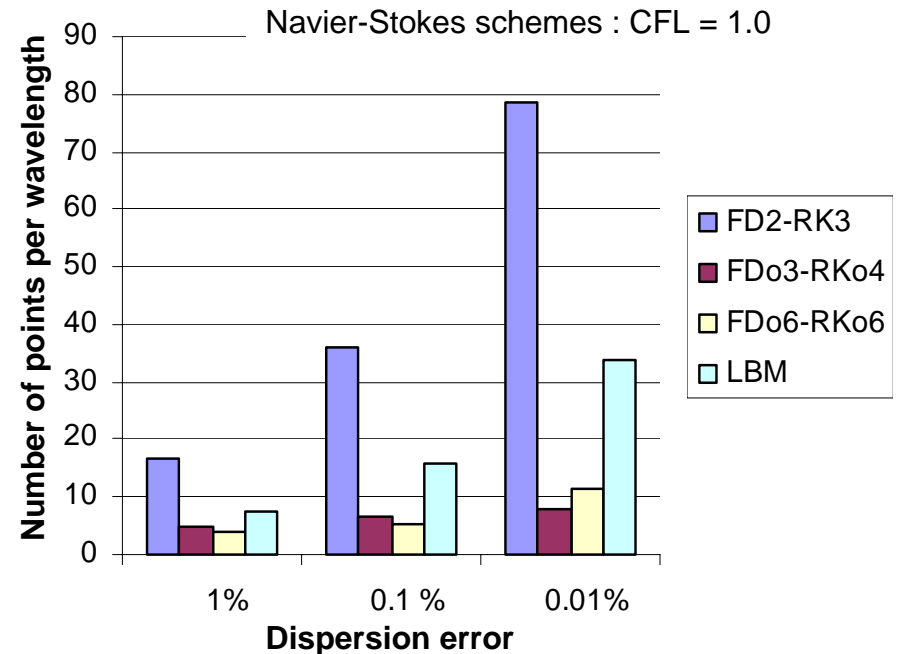
- **LBM has**

- lower numerical dissipation than all aeroacoustic-optimized schemes
- lower dispersion error than FD of order 2 in space and 3 in time (Runge-Kutta)
- higher dispersion error than FD of order 3 in space and 4 in time (Runge-Kutta) and DRP (Dispersion Relation Preserving) optimized 6th order schemes

# Comparison LBM vs finite difference Navier-Stokes schemes

- DRP Navier-Stokes schemes need lower number of points per wavelength than LBM to achieve a given accuracy... but their computational cost is much higher
  - Number of floating point operations per time-step of LBM is lower than that of 2th order FD schemes...
- For a given problem (target accuracy and given simulated physical time), the computational cost of Navier-Stokes schemes strongly depends on the CFL (time-step)
- For  $CFL \sim 1$  (explicit schemes), the total simulation cost of Navier-Stokes schemes is higher than LBM

*Marié, S., Ricot, D., Sagaut, P. (2009), J. Comput. Phys., 228*



- Same conclusions with industrial Navier-Stokes (Finite volume) code :
  - Industrial comparison of PowerFLOW vs Fluent-DES at PSA Peugeot-Citroen (see <http://www.gdr2493.cnrs-mrs.fr/IMG/pdf/M-Pachebat-PSA.pdf>)
  - Academic comparison of in-house LBM vs CFD++ : Geller, S., Krafczyk, M., Tölke, J., Turek, S., Hron, J. (2006): "Benchmark computations based on Lattice-Boltzmann, Finite Element and Finite Volume Methods for laminar Flows", Computers and Fluids, 35

# How to use LBM in an industrial framework ?

- **In-house / academic LBM codes**

- VirtualFluids, TU Braunschweig
- waLBerla, Univ. Erlangen, Nuremberg
- International Lattice Boltzmann Software Development Consortium, Univ. Of Amsterdam, NEC, HLRS Stuttgart,...
- HemeLB, Center of Comput. Science, Univ. College London
- ...

} Flow in human blood vessels

- **Open Sources LBM codes**

- OpenLB-Palabos, lead by EPF Lausanne, Switzerland
- El-Beem (used in Blender for free surface flows), ETH Zurich, Switzerland
- ...

- **Commercial LBM software**

- **PowerFLOW, EXA Corp.**
- MetaCFD, MetaHeuristics, USA (consulting only ?)

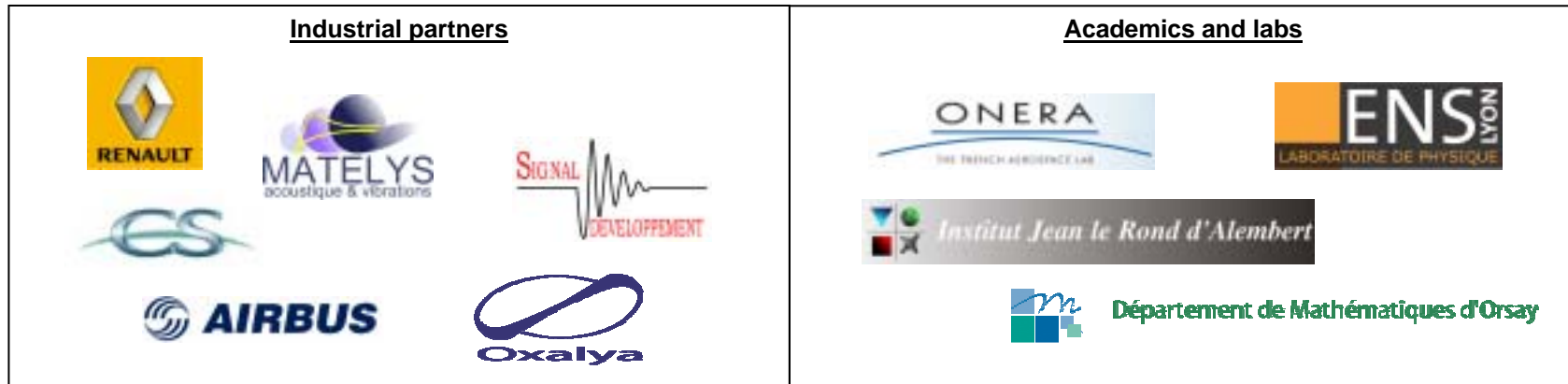
- **Industrial software**

- LaBS (Lattice Boltzmann Solver), French industrial and academic Consortium



# LaBS : Lattice Boltzmann Solver

## Partners :



- Three-year project (2009-2012) funded by the french ministry of industry and the region Iles de France with support of competitiveness clusters:

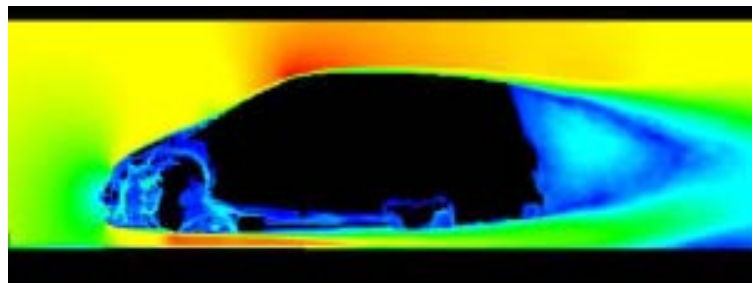
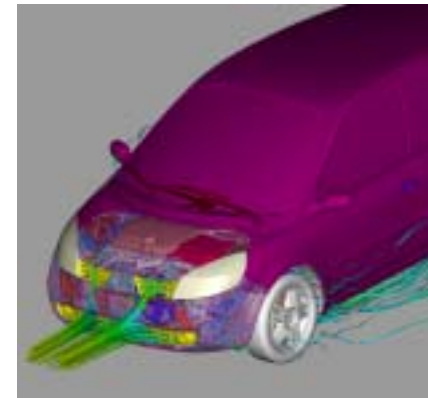
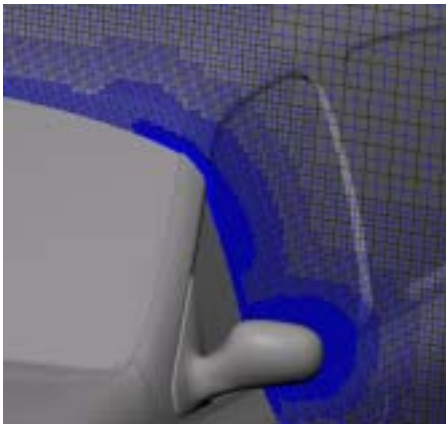


- Lattice Boltzmann Method
- Large Eddy Simulation approach
- Optimization for massively parallel computing
- Simultaneous simulation of aerodynamic noise sources and their acoustic propagation

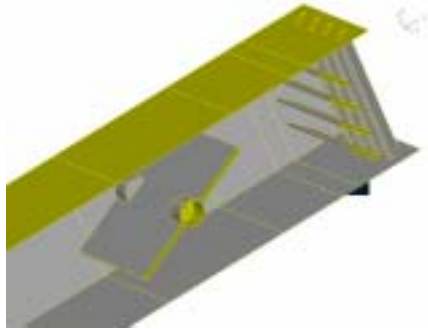


# PowerFLOW – current version

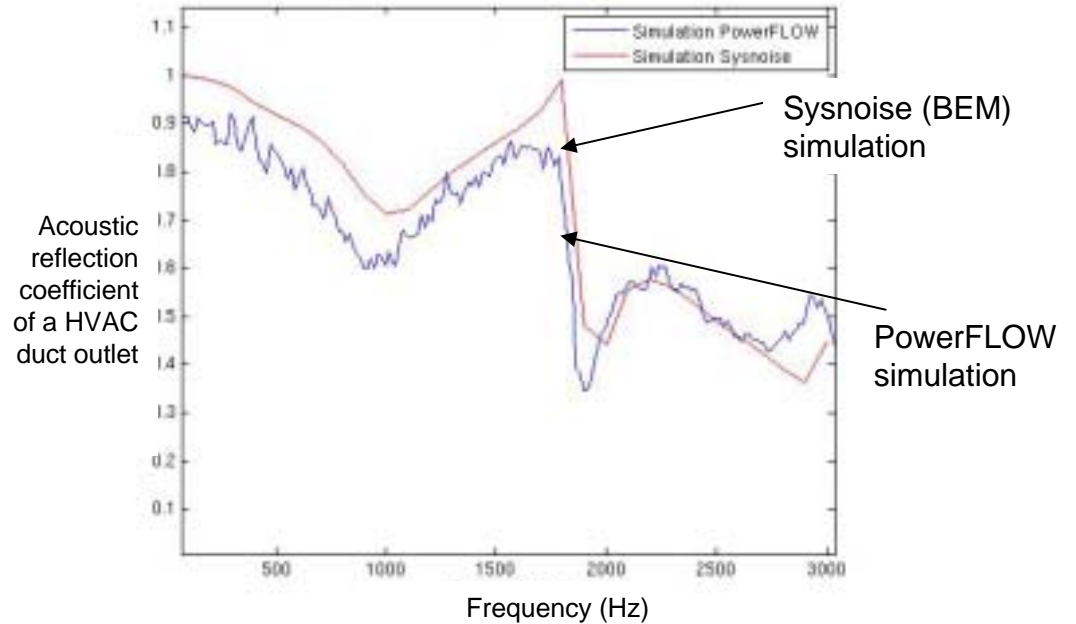
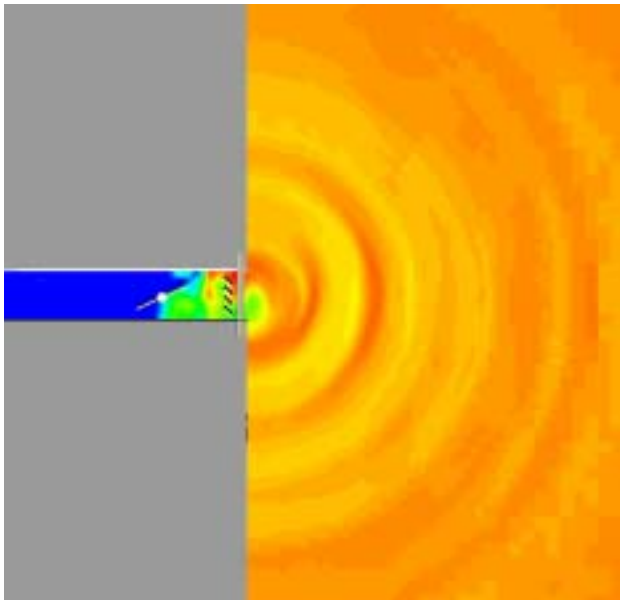
- LBM D3Q19 BGK with some adaptations
- Immersed frontiers for complex geometry (volumetric formulation)
- Turbulence model
  - Modified (Yakhot & Orszag, not published)  $k - \varepsilon$  RNG model (Yakhot & Orszag, 1986)
  - Modified (adverse pressure gradient effects) log-law wall model
- Stability control with turbulence model + threshold numerical viscosity
- Parallel computations
  - Tens of millions of cells calculated for hundreds of thousands of time-steps on tens of CPU in a few days



# Acoustic impedance of outlets, without mean flow



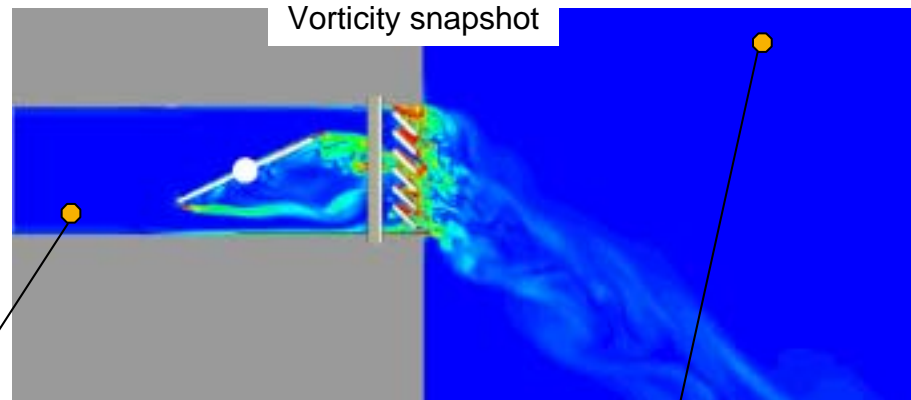
- Simulation without mean flow (only “acoustics”)
- Validation of the acoustic behavior of the HVAC outlet



(J.-L. Adam et al., Acoustics'08, Paris)

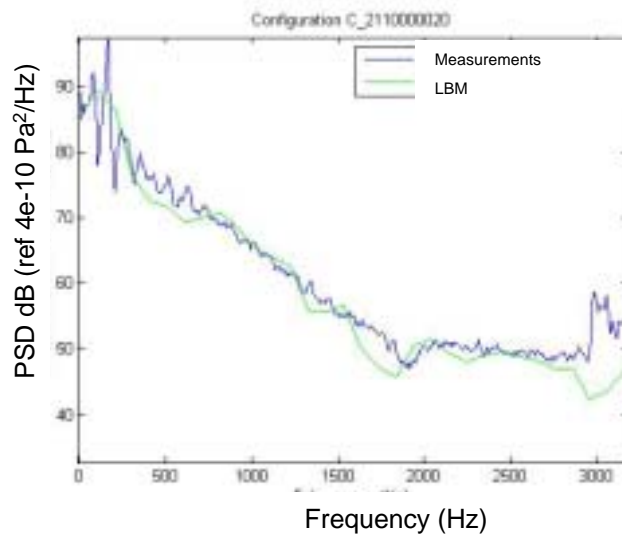
# Aerodynamic noise generated by HVAC vents

$U_0 = 18 \text{ m/s}$

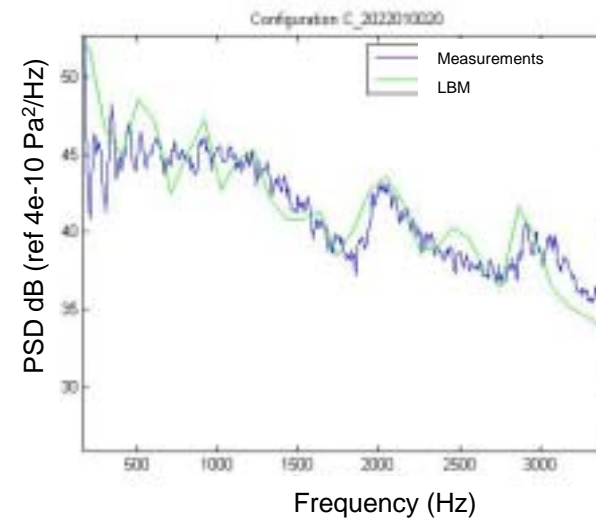


(J.-L. Adam et al.,  
Acoustics'08, Paris)

Upstream acoustic pressure



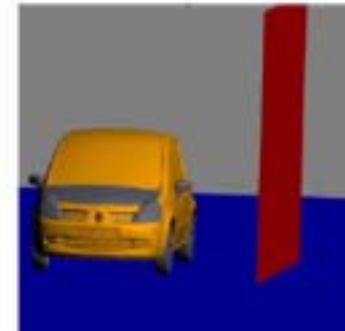
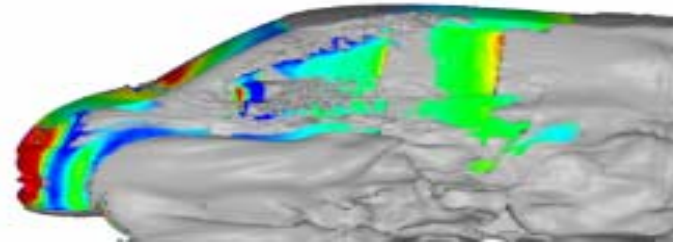
Downstream acoustic pressure





# Direct aeroacoustic source identification based on LBM and beamforming technique

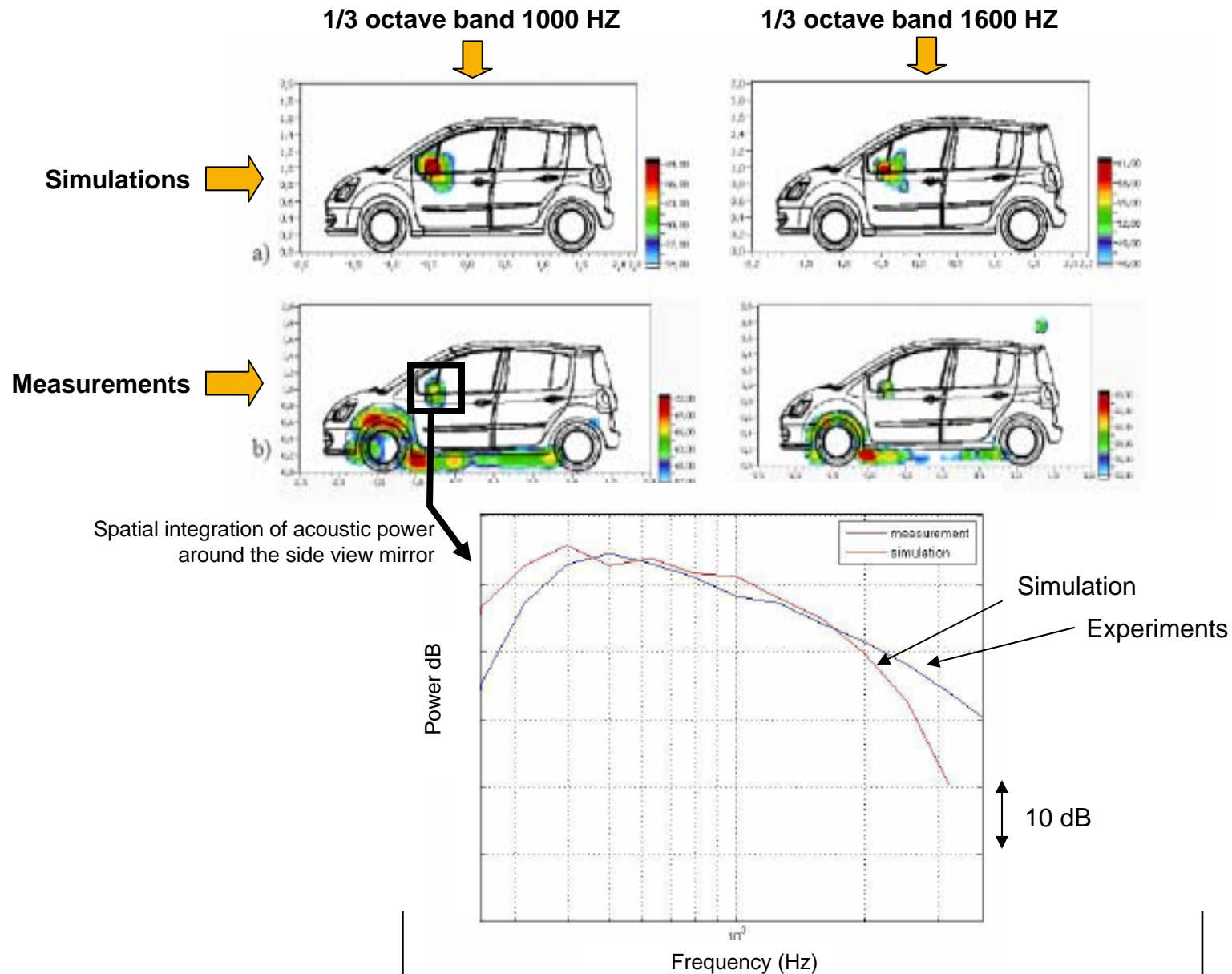
(J.-L. Adam et al., 2009, AIAA paper 2009-3182)



- **Measurements in the aeroacoustic wind tunnel S2A**
- **Source detection with microphone array associated with beamforming algorithm**

- **Maximum mesh resolution around side mirror and A-pillar**
  - Complete fine mesh around the whole car is impossible with our CPU capabilities
  - Coarser mesh around wheel house, rear of the car, ...  
→ only very low frequency turbulent structures are simulated in these regions
- **Source detection with “virtual” microphone array measurements associated with the same beamforming algorithm as that used in wind tunnel**

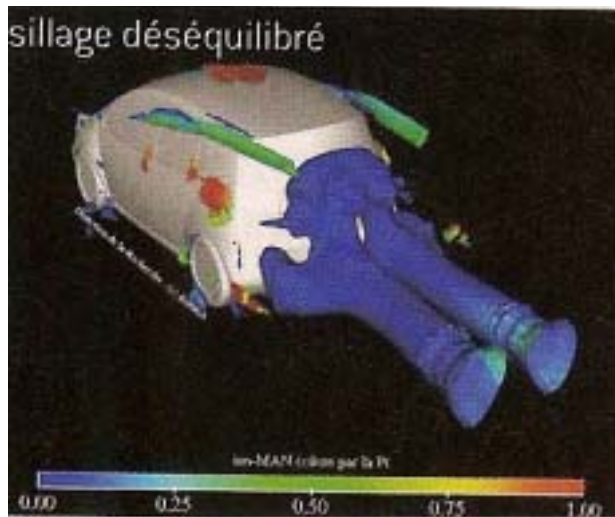
# Direct aeroacoustic source identification based on LBM and beamforming technique



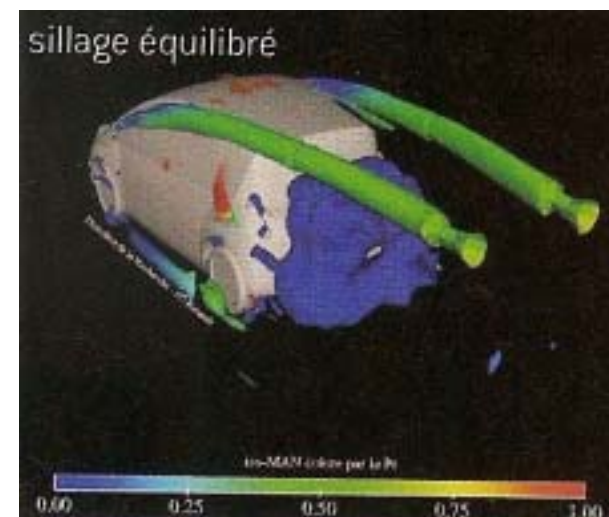
# Aerodynamic drag simulation

- **Objectives**

- Drag and lift coefficient calculation → design choice to minimize CO<sub>2</sub> emission
- Shape and detail optimizations



**“3D” wake (strong longitudinal vortices)**  
→ High drag



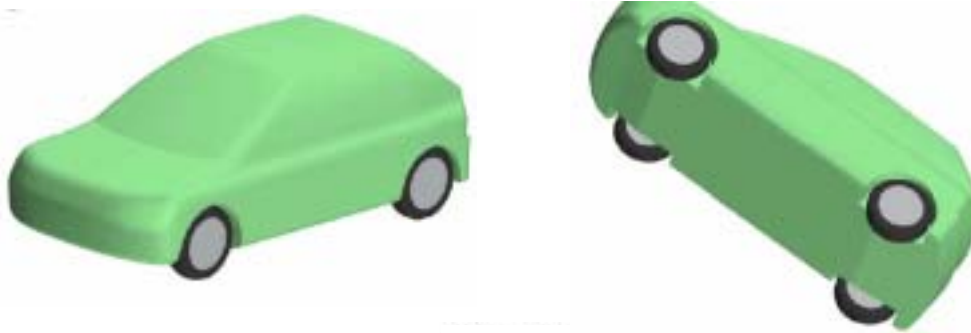
**“2D” wake**  
→ Low drag

*S. Parpais, Renault R&D mag., 2003*

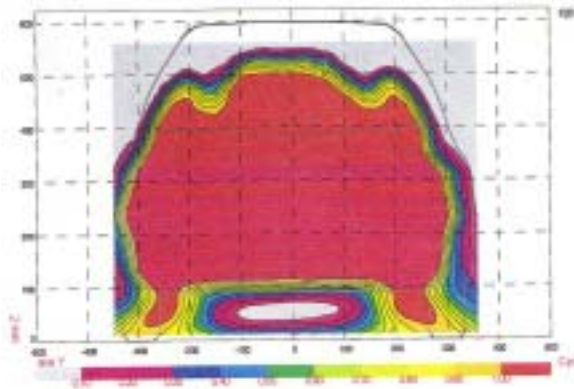
# Validation of aerodynamic drag simulation

- **First validations on simplified car (2002)**

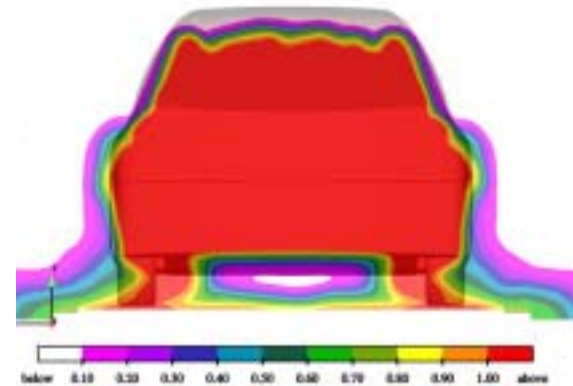
- No underhood
- Flat underbody



**Measurements**



**PowerFLOW**



Total pressure loss 10 mm downstream the simplified car

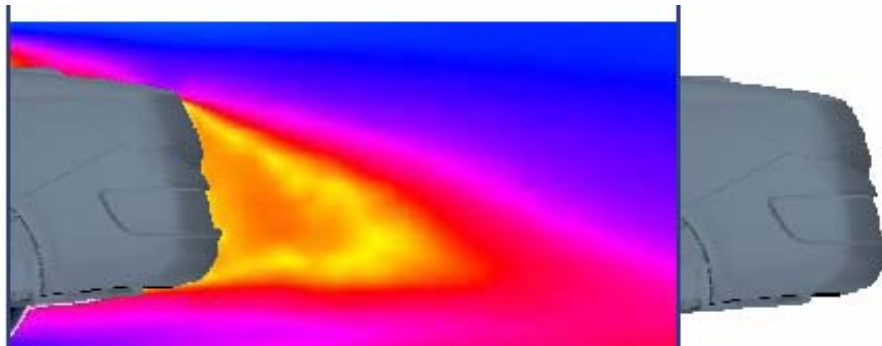
# Validation of aerodynamic drag simulation

- **Validation on Megane CC**

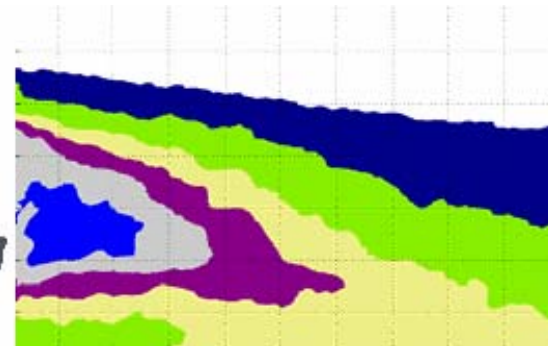
- No underhood flow
- Fully detailed underbody



**PowerFLOW**



**Measurements**

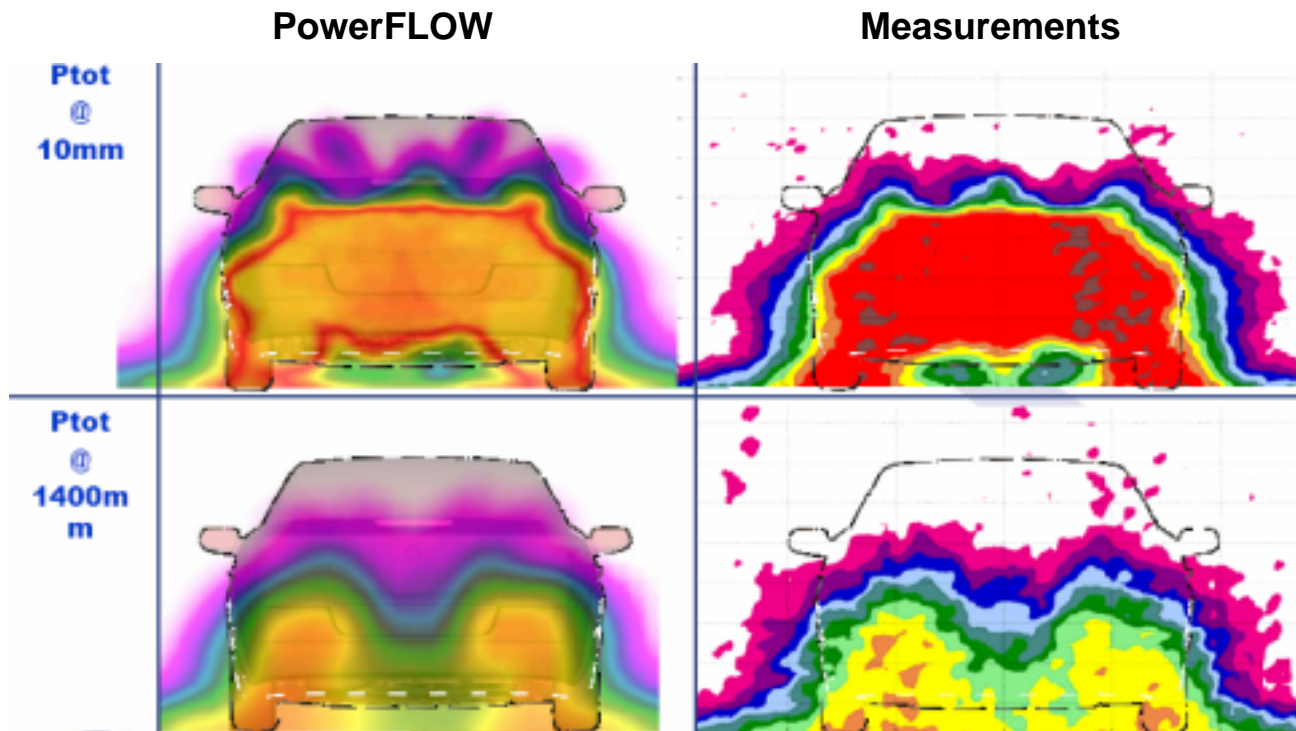


Normalized ( $U_x / U_0$ ) longitudinal mean velocity in the symmetry plane

# Validation of aerodynamic drag simulation

- **Validation on Megane CC**

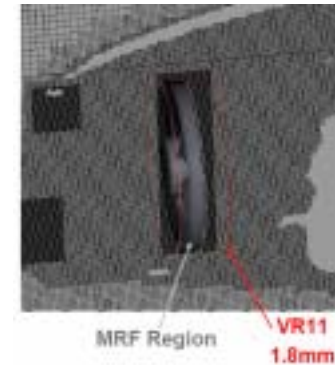
- Drag and lift coefficients are well recovered within few percents



Total pressure loss in the Megane CC wake

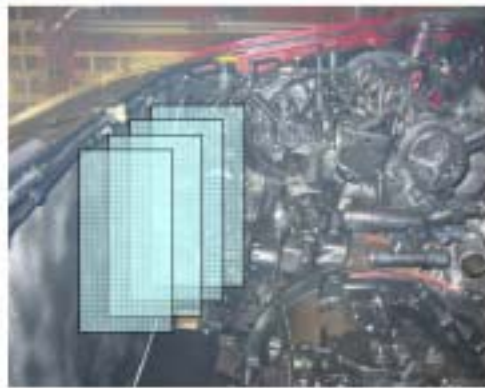
# Underhood flow

- Heat exchanger are modeled with equivalent porous media
- Fan model
  - Fixed fan
  - Rotating fan using Multiple Reference Frame approach

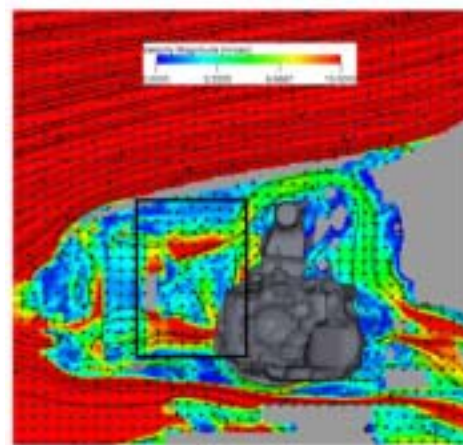


- Experimental validation based on PIV measurements

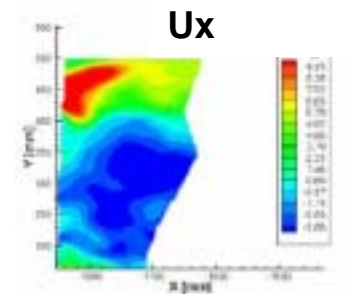
*O. Bailly et al., SIA, Lyon 2005*



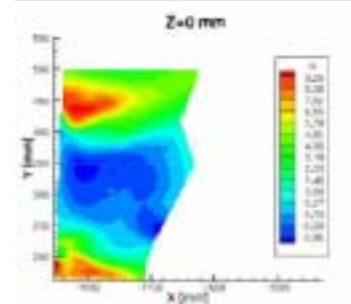
PIV measurements



PowerFLOW

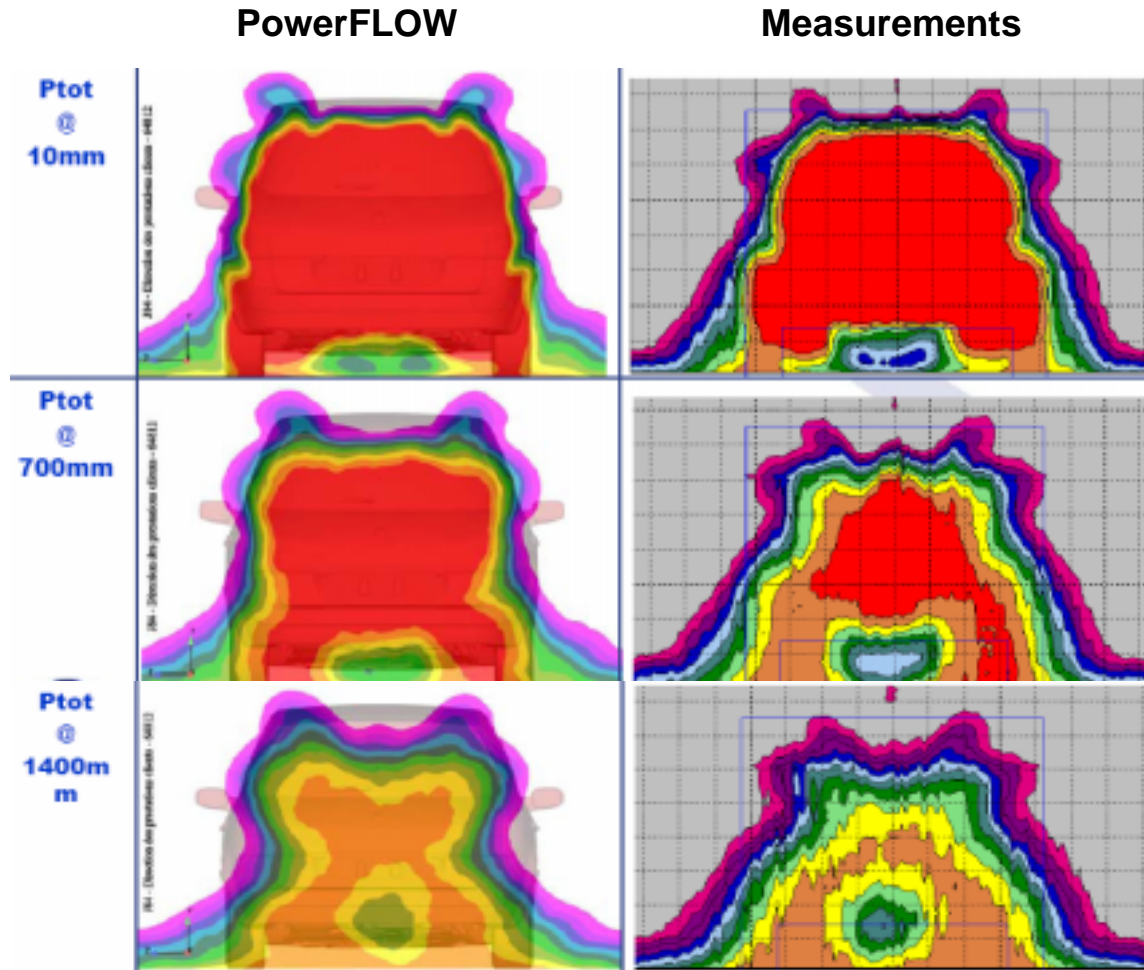


Measurements



PowerFLOW

# Validation of aerodynamic drag simulation with underhood flow



Total pressure loss in the Scenic wake



## Concluding remarks

- LBM errors only come from space and time discretizations : velocity discretization is (nearly) exact
- In its standard form, MRT models seem to not improve the dispersion accuracy
  - Be careful with the bulk viscosity increase that allows better stability but that overdamps acoustic waves
- Even if the convergence rate of LBM is only second order, the absolute error of LBM for a given mesh is much lower than that of second order Navier-Stokes schemes
- LBM is competitive with high-order and optimized DPR Navier-Stokes schemes because the same accuracy can be obtained with lower computational cost
  
- Very encouraging results are obtained with LBM/PowerFLOW on real industrial configurations for direct simulation of aeroacoustics problems
  - Direct Noise Calculation is the ideal strategy to simulate all automotive aeroacoustic problems
  - Simulations are still limited in term of frequency range : optimized turbulence / stability control models associated with improvement of numerical efficiency are needed in order to achieve higher frequency components
- Thanks to its numerical efficiency and low dissipation, LBM is a “perfect” scheme for LES / DES approaches
  - Full unsteady simulations performed for aerodynamic drag calculation with PowerFLOW seem to be a key point to obtain good results on a wide class of vehicle configurations

